

# Statistics and Probability on the TI-83/84

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**Entering Data** - Data points are stored in Lists on the TI-83/84. If you haven't used the calculator before, you may want to get rid of everything that was there. You do this by pressing **2nd** [MEM] (above the + sign), select [4:ClrAllLists] and press **ENTER** twice. Then press **STAT** and highlight [5:SetUpEditor] and press **ENTER** twice. You will not have to do this every time that you want to enter a list, but it's a good idea to do it every once in a while.

Press **STAT**, select [EDIT... ] this puts you into the List Editor. You will see columns with L1, L2,... going across the top. You can store 6 different sets of data here. Now enter the data pressing **ENTER** after each data point. After the last data point press **ENTER** then **QUIT**. The data is now stored in L1. You can store data in any of the other lists by scrolling across in the list editor.

**Sorting Data** - Once data has been entered into a list, you can rearrange the list into ascending or descending order. To sort L1 in ascending order, press **STAT**, select [2:SortA()], **2nd** [L1], (above the number 1). Now if you go back into the list editor, the list has been sorted. To sort in descending order, use the [3:SortD()] function.

**1-Variable Statistics** - To analyze the data {1, 3, 5, 7, 9} enter the data into a list, say L1. Press **STAT**, select [CALC], [1:1-Var Stats], press **2nd** [L1], **ENTER**. The calculator displays:

```
1-Var Stats
x=5
Σx=25
Σx²=165
Sx=3.16227766
σx=2.828427125
↓n=5
minX=1
Q1=2
Med=5
Q3=8
maxX=9
```

$\bar{x}$  is the mean

$\Sigma x$  is the sum of the data points

$\Sigma x^2$  is the sum of the squares of the data points

Sx is the sample standard deviation

$\sigma x$  is the population standard deviation

n is the sample size

MinX/MaxX are the minimum and maximum

Med is the median

Q1/ Q3 are the first and third quartiles

**1-Variable Statistics with Repeated or Weighted Data** - For example, say that you have the set of data 1,1,1,1,1,6,6,6. Put the different data points into L1 and the number of repetitions in L2. So L1={1, 6} and L2={5, 3}. Now put the command [1-Var Stats L1,L2] into the calculator and press **ENTER** to get the Statistics. Weighted data is done the same with the data in L1 and the weights in L2.

## Factorials, Permutations, and Combinations –

to find  $!$ ,  ${}_n P_r$ ,  ${}_n C_r$  press Math, scroll over to [PRB]. The screen to the right shows how to make the computations

```
6!           720
6 nPr 3     120
6 nCr 3     20
```

**Binomial/Normal Distributions** – All functions can be found by pressing **2nd** [DISTR].

**Binomial Probability Distribution:** To find binomial probabilities select [0:binompdf()]. The inputs are *binompdf(number of trials, probability of success, x)*

**Example 1:** To find the probability associated with  $n = 14$ ,  $p = 0.8$ ,  $x = 10$  enter the values shown in the first computation to the right and press **ENTER** to get 0.1720.

```
binompdf(14,0.8,
10)
.1720
binompdf(14,0.8,
(8,9,10))
{.0322 .0860 .1...
```

**Example 2:** If you have a few probabilities to find with the same n and p you can do them all at the same time. Such as,  $n = 14$ ,  $p = 0.8$  and  $x = 8, 9$  & 10. Enter the values shown in the second computation to the right where the x values are in a list. Press **ENTER** and you get all three probabilities as a list {0.0322 .0860 .1720}.

**Binomial Cumulative Density Function:** To find binomial cumulative probabilities select [A:binomcdf()]. The inputs are  $\text{binomcdf}(\text{number of trials}, \text{probability of success}, x)$  and the result will be the sum of all probabilities less than or equal to  $x$ .

Example 3: To find the cumulative probability associated with  $n = 14$ ,  $p = 0.8$ ,  $x \leq 10$  enter the values shown in the computation to the right and press **ENTER** to get 0.3018.

```
binomcdf(14,0.8,
10)
.3018
```

**Normal Distributions:** To find probabilities from the normal distribution select [2:normalcdf()]. The inputs are  $\text{normalcdf}(\text{lower bound}, \text{upper bound})$  if your dealing with the standard normal distribution or  $\text{normalcdf}(\text{lower bound}, \text{upper bound}, \mu, \sigma)$  if you are dealing with a normal distribution

Example 4: To find the area under the normal curve between  $z = -1.23$  and  $z = 2.45$  enter the values shown in the first computation to the right and press **ENTER** to get 0.8835.

Example 5: To find the area under the curve between 17 and 24 of a normal distribution with  $\mu = 19$  and  $\sigma = 2.5$  enter the values shown in the second computation to the right and press **ENTER** to get 0.7654.

```
normalcdf(-1.23,
2.45)
.8835
normalcdf(17,24,
19,2.5)
.7654
normalcdf(24,1E9
9,19,2.5)
.0228
```

Example 6: To find the area to the right of 24 of a normal distribution with  $\mu = 19$  and  $\sigma = 2.5$  use the fact that  $1E99$  is essentially  $+\infty$  as far as the computation is concerned and enter the values shown in the third computation to the right and press **ENTER** to get 0.0228.

NOTE: Use  $-1E99$  for  $-\infty$ .

Important note: You must keep in mind that the calculator is finding the area under the curve much more accurately than the z-table. The z-table rounds the areas to 4 decimal places while the calculator rounds to 10 decimal places. This could cause your answers to be slightly different than answers from the z-table. In the example 5 we got .7654 to 4 decimal places. If you used the z-table you would get .7653. This is a minor difference but it is something that you need to keep in mind.